

Time-like nucleon form factors measurements at PANDA

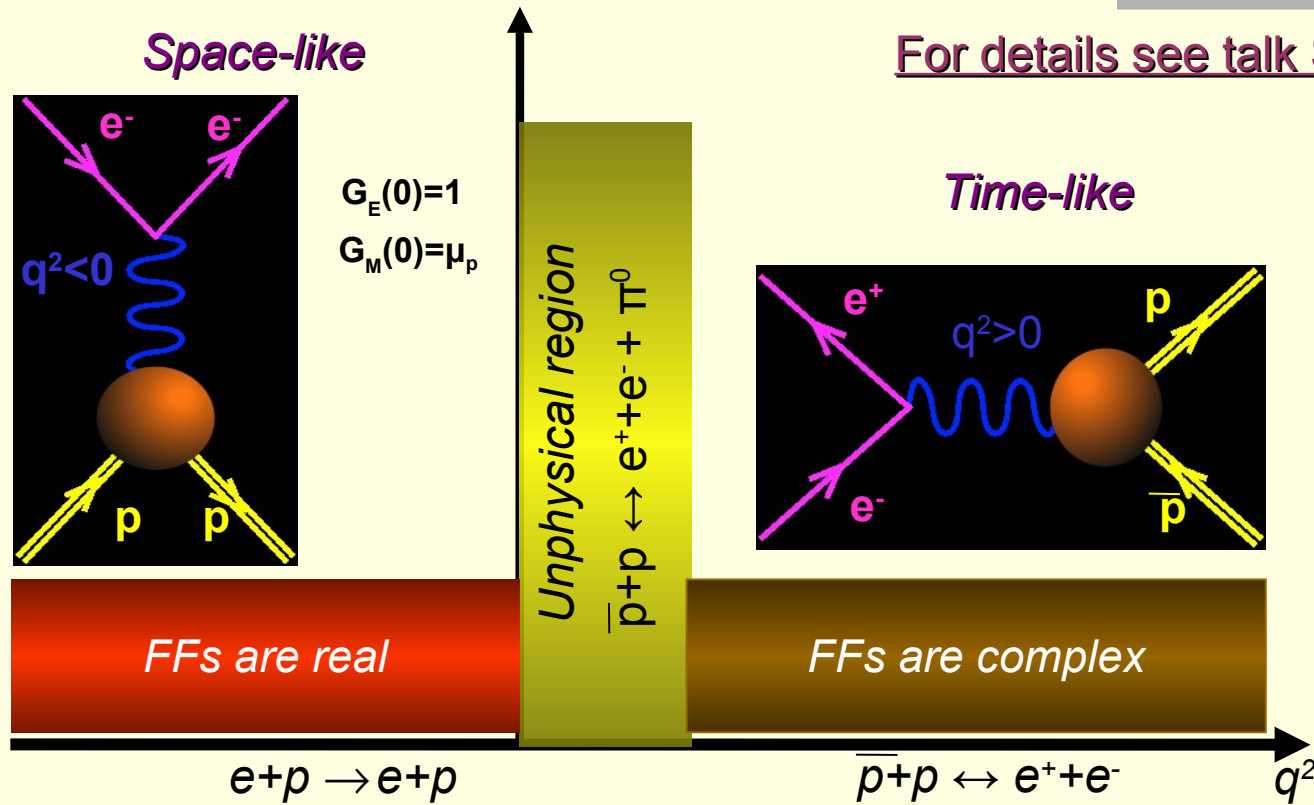
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IPNO/CNRS, France



Proton form factors

For details see talk S.Pacetti



$\sigma(\bar{p}p \rightarrow e^+e^-)$ in 1 photon exchange:

$$\tau = \frac{q^2}{4m_p^2}$$

$$\frac{d\sigma}{d\cos\theta_{CM}} = \pi \frac{\alpha^2}{8M_p^2 \sqrt{\tau(\tau-1)}} \left[\underbrace{(G_M)^2}_{\text{magnetic form factor}} (1 + \cos^2\theta_{CM}) + \frac{(G_E)^2}{\tau} \sin^2\theta_{CM} \right]$$

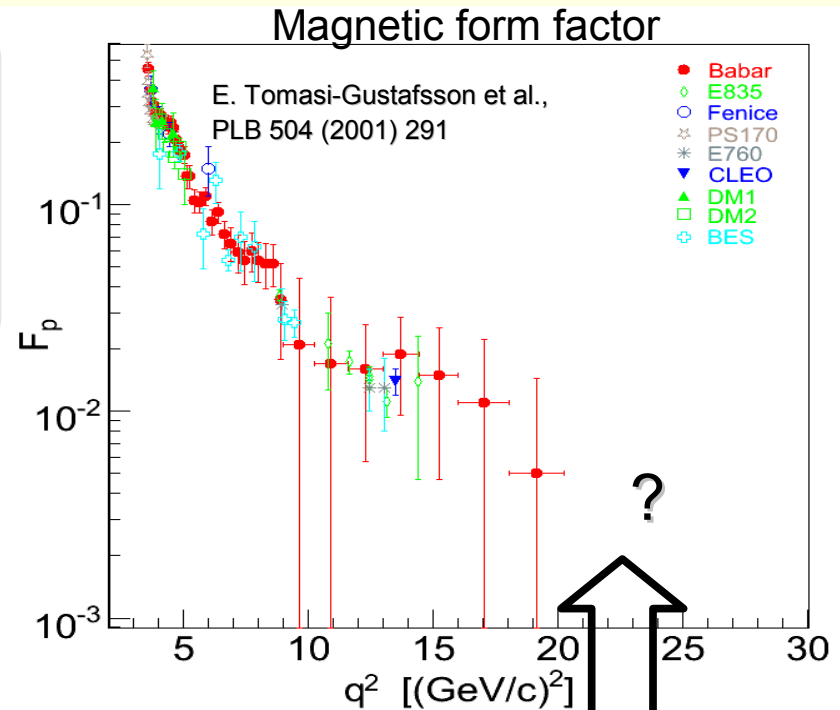
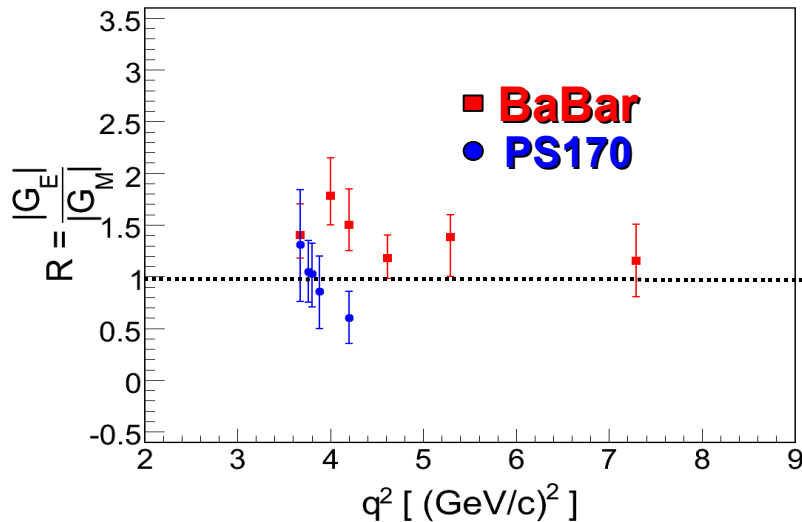
magnetic form factor electric form factor

Status of the experimental data

Experimental status:

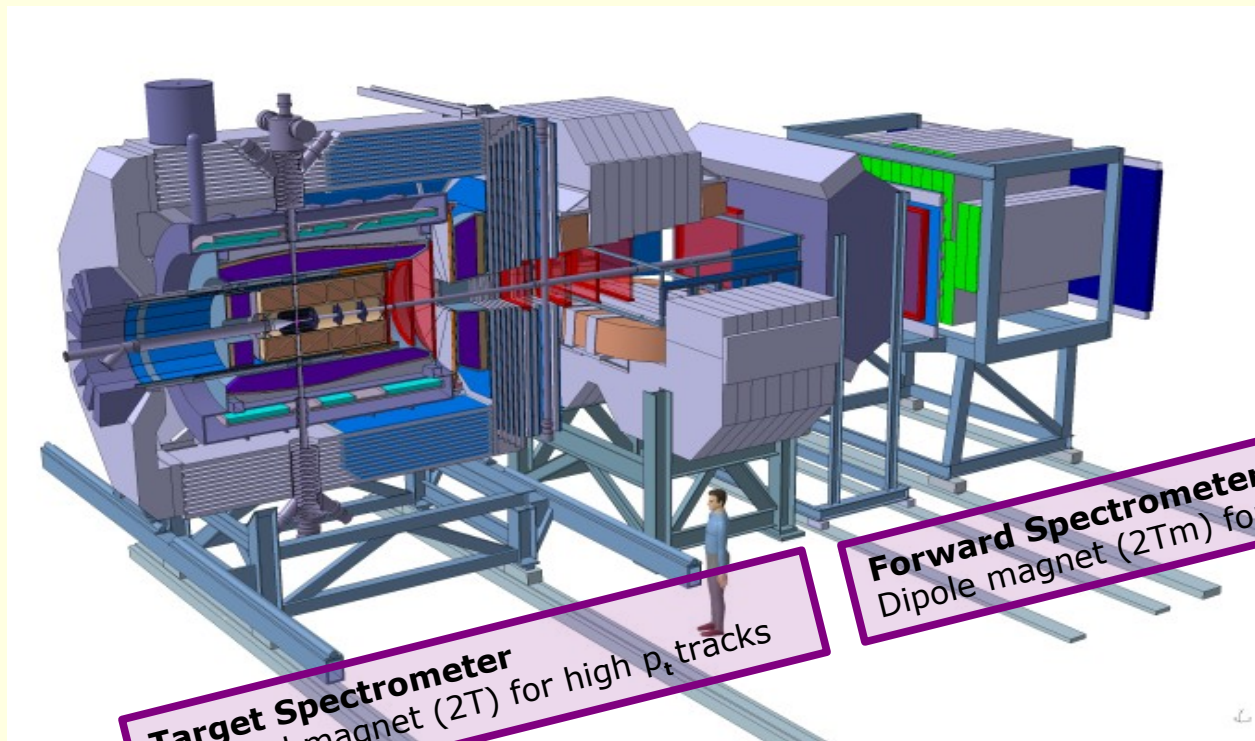
- New, precise, surprising data in **space-like**
- All existing data in the **time-like** region were analyzed under assumption of

$$|G_E| = |G_M| \text{ (F}_p\text{) or } |G_E| = 0 .$$



Asymptotics
- QCD
- analyticity

PANDA detector @ FAIR



Target Spectrometer
Solenoid magnet (2T) for high p_t tracks

Forward Spectrometer
Dipole magnet (2Tm) for forward tracks

For details see talk J.Ritman

Detector requirements:

- nearly 4π solid angle for PWA;
- high rate capability: 2×10^7 interactions/s;
- efficient event selection;
- good momentum resolution $\Delta p/p \approx 1\%$;
- vertex resolution $< 100 \mu\text{m}$ for $K^0, \Sigma, \Lambda, (D^\pm, c\tau \approx 317 \mu\text{m})$;
- good PID ($\gamma, e, \mu, \pi, K, p$);
- γ detection $\rightarrow \text{few MeV} < E_\gamma < 10 \text{ GeV}$.

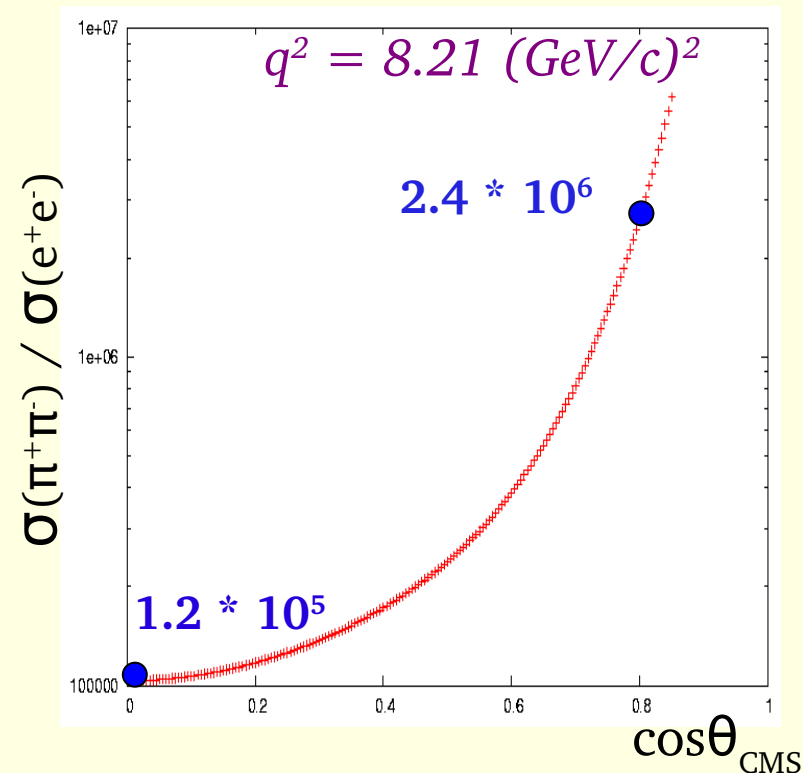
Feasibility study

Important aspects in the determination of the proton form factors:

- Background contamination
- Sensitivity to G_E and G_M

Background reactions

- **3 body reactions** ('easy' to eliminate)
 - Tracking in magnet, θ and ϕ correlations,
 - Missing or invariant mass cuts, PID
- **2 charged body reactions**
(e.g. $\pi^+\pi^-$, $\mu^+\mu^-$, K^+K^-)
 - Most important background is $\pi^+\pi^-$,
 - Kinematical correlation $p=f(\theta)$,
 - PID very important,



Background suppression, signal efficiency

Background suppression after

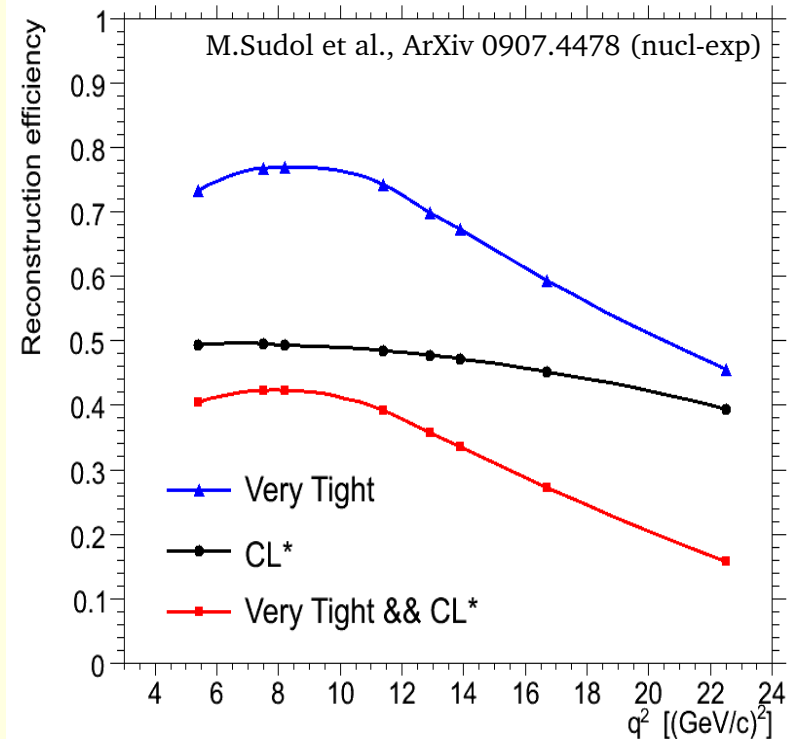
Very Tight PID cuts:

- $8.2 \text{ (GeV/c)}^2 : 2/10^8$
- $12.9 \text{ (GeV/c)}^2 : 5/10^8$
- $16.7 \text{ (GeV/c)}^2 : 6/10^8$

Additional factor ~ 100 applying
the kinematic fit

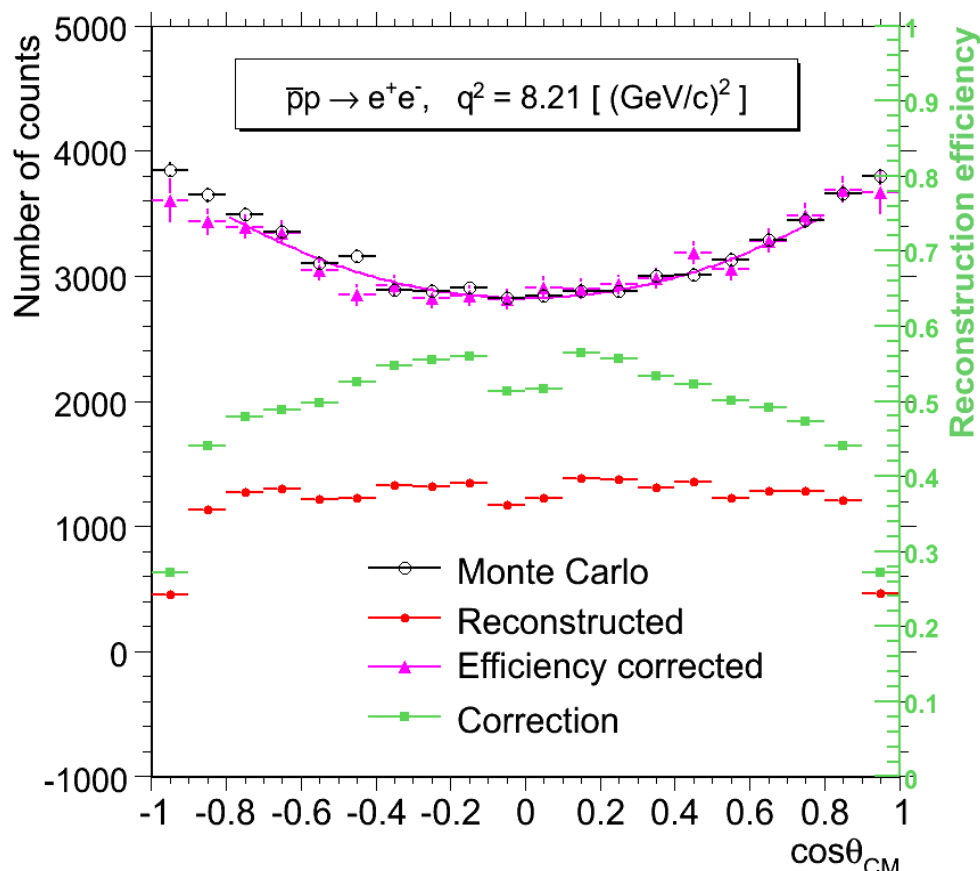
Background suppression factor
is at least of the order of 10^{-9}
taking into account
PID & kinematic fit !!

Efficiency integrated ($|G_E|=|G_M|$) over $|\cos\theta| < 0.8$



- Efficiency decreasing with the q^2 value.
- The efficiency of the CL* cut constant over the full q^2 value.

Monte Carlo, reconstructed, efficiency corrected spectra



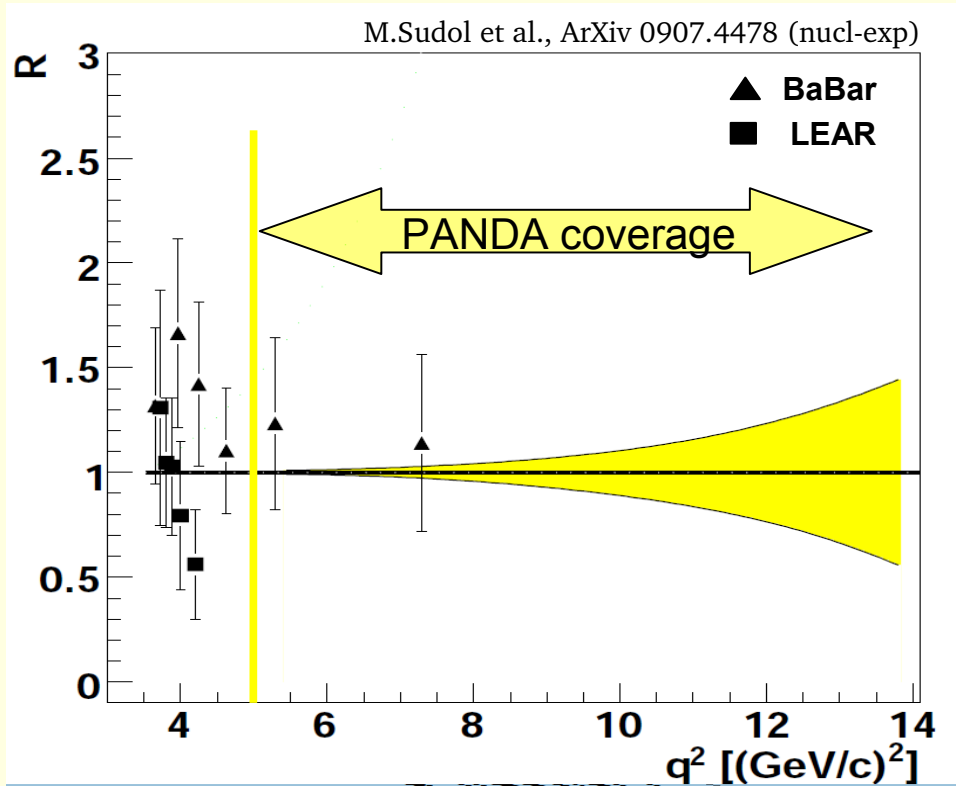
For the efficiency correction determination isotropic distributions with high statistics have been used.

We fitted every resulting efficiency corrected e^+e^- angular distributions in order to determine the error on the ratio $|G_E|/|G_M|$ with a linear 2 parameter fit.

$$N(\cos \theta) = C * [\tau (1 + \cos^2 \theta) + R^2 \sin^2 \theta]$$

Comparison with the BaBar and PS170 results

$$R = \frac{(G_E)}{(G_M)}$$

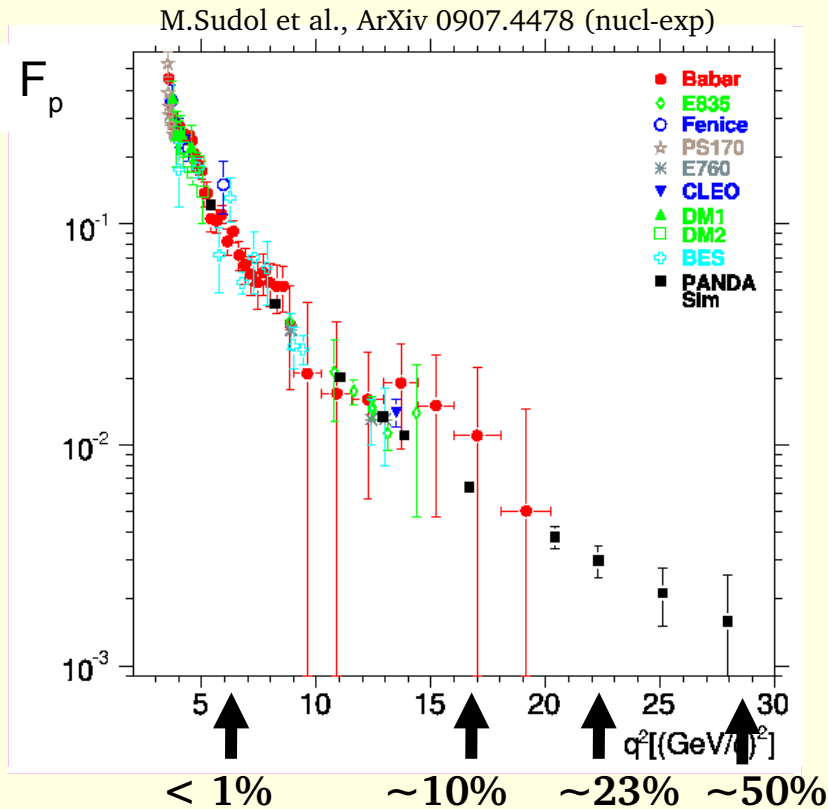


Yellow band represents the errors from the fits to the efficiency corrected data.

Measurement of G_E/G_M ratio with PANDA can be done with

- › much better precision than BaBar or LEAR.
- › will improve the error bars at the low q^2

Effective proton form factor : world data



PANDA: 120 days, $L=2 \text{ fb}^{-1}$

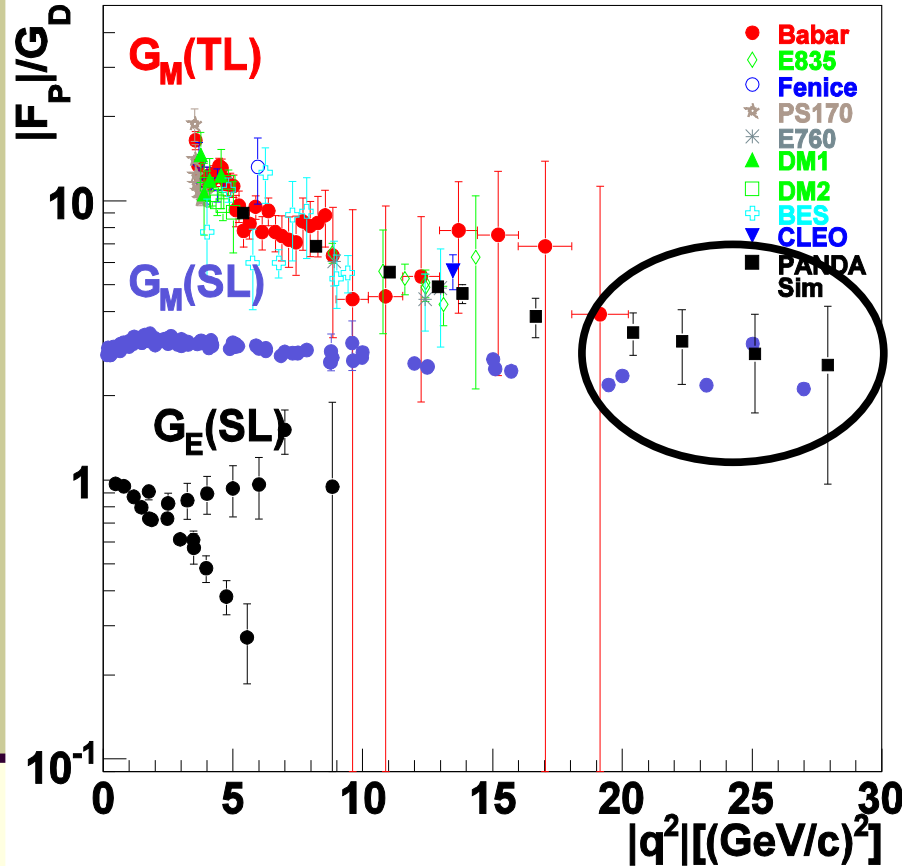
Effective proton form factor extracted from different experiments using:

$$\begin{aligned} \bar{p} p &\rightarrow e e^+ e^- \\ e e^+ &\rightarrow \bar{p} p \\ e e^+ &\rightarrow \gamma \bar{p} p \end{aligned}$$

In all cases, the hypothesis of $|G_E| = |G_M|$ has been used to analyze the data.

Effective proton form factor : world data

E.Tomasi-Gustafsson ArXiv 0907.4442 (nucl-th)



pQCD predicts asymptotic behavior of G_M

$$\lim_{q^2 \rightarrow \infty} G_M(q^2) \propto \frac{1}{q^\xi}$$

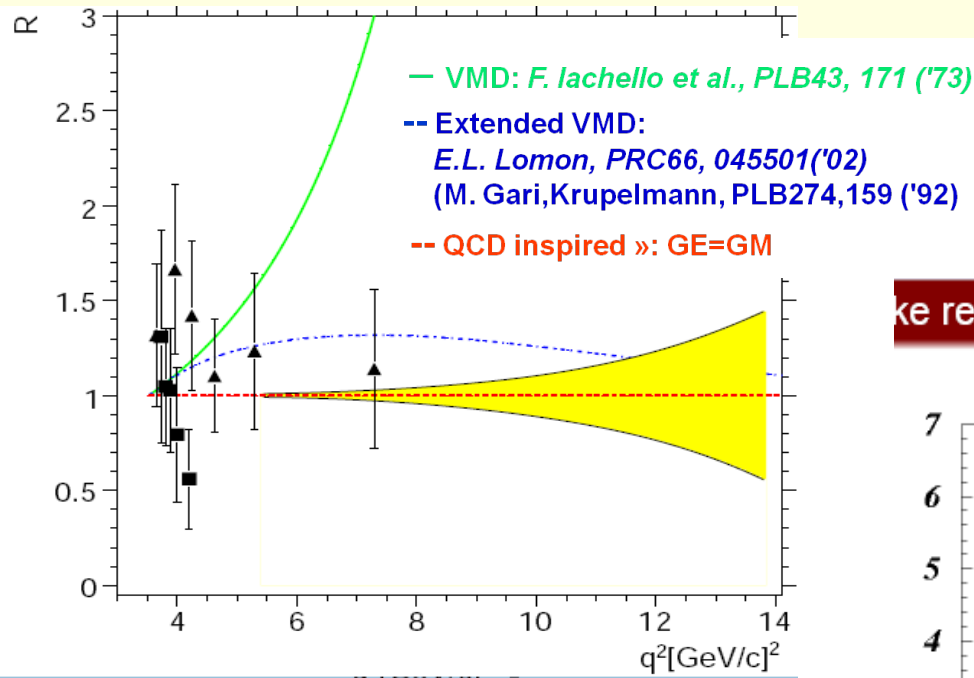
Phragmen-Lindelof theorem
(asymptotic properties of FFs):

$$\lim_{q^2 \rightarrow -\infty} F^{SL}(q^2) = \lim_{q^2 \rightarrow +\infty} F^{TL}(q^2)$$

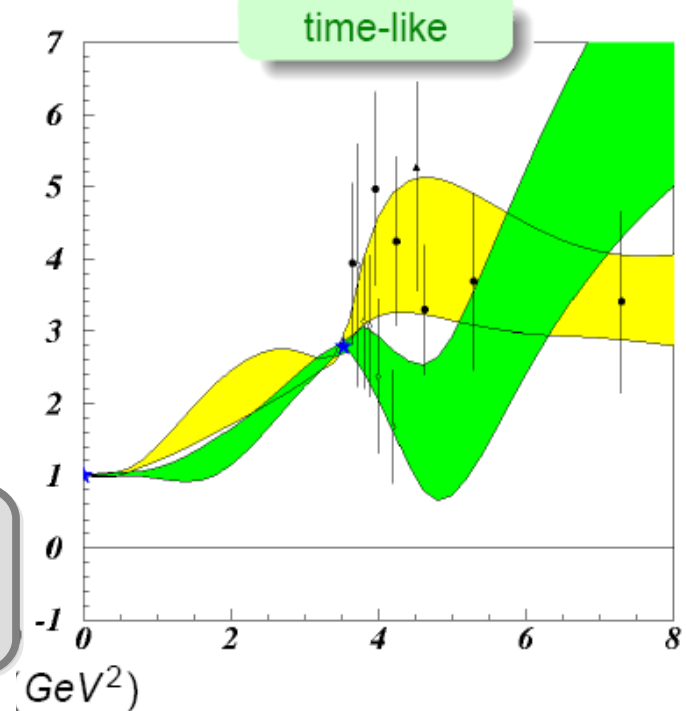
PANDA will provide a new set of good quality data that can be compared to the SL data in a region where the asymptotic behavior of form factors might show up.

Theoretical models

@ S. Pacetti



like region



PANDA will discriminate between models and will add more constraints to dispersion relation

Outlook & conclusion

PANDA will improve measurement of:

- Proton magnetic AND electric form factors up to $q^2 = 14 \text{ (GeV/c)}^2$,
- Cross sections (dominated by the magnetic form factors)
up to $q^2 = 30 \text{ (GeV/c)}^2$
- Sensitivity to odd $\cos\theta$ contribution have been studied ($>5\%$),
- Unphysical region can be accessed via $\bar{p} p \rightarrow e^+ e^- \pi^0$